Derivator från α till ω.

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Derivera

$\alpha.\ 2x^3 - 5x^2 + \dfrac{3}{x},$

$\beta.\ x^3(x^2-1)^2,$

$\gamma.\ \dfrac{x}{1-x^2},$

$\delta.\ \dfrac{3x+1}{x^5},$

$\varepsilon.\ \sqrt[3]{x},$

$\zeta.\ \sqrt{x\sqrt{x\sqrt{x}}},$

$\eta.\ e^x(x^2+2x-2),$

$\vartheta.\ x\cos x,$

$\iota.\ x\ln x - x,$

$\kappa.\ \dfrac{1}{\ln x},$

$\lambda.\ (ax+b)^n,$

$\mu.\ \sin^3 x,$

$\nu.\ \sin 3x,$

$\xi.\ \ln(\sin x),$

$o.\ \dfrac{1}{(1+x^2)\sqrt{1+x^2}},$

$\pi.\ \sqrt{x+\sqrt{x}},$

$\varrho.\ \ln\dfrac{1-x}{1+x},$

$\sigma.\ \ln\tan(\dfrac{x}{2}+\dfrac{\pi}{4}),$

$\tau.\ \dfrac{1}{a}\arctan\dfrac{x}{a},$

$\upsilon.\ \sqrt{2}^{\sqrt{1+x^2}},$

$\upsilon.\ e^{x\ln x},$

$\varphi.\ \ x^x,$

$\chi.\ x^{\sin x},$

$\psi.\ (x^3+x)^{\arctan x}.$

Svar(förhoppningsvis korrekta...)

$\alpha.\ 6x^2 - 10x - \dfrac{3}{x^2},$

$\beta.\ x^2(7x^4 - 10x^2 + 3),$

$\gamma.\ \dfrac{1+x^2}{(1-x^2)^2},$

$\delta.\ -\dfrac{5+12x}{x^6},$

$\varepsilon.\ \dfrac{1}{3\sqrt[3]{x^2}},$

$\zeta.\ \dfrac{7}{8\sqrt[8]{x}},$

$\eta.\ e^x(x^2+4x),$

$\vartheta.\ \cos x - x\sin x,$

$\iota.\ \ln x,$

$\kappa.\ -\dfrac{1}{x(\ln x)^2},$

$\lambda.\ na(ax+b)^{n-1},$

$\mu.\ 3\sin^2 x\cos x,$

$\nu.\ 3\cos 3x,$

$\xi.\ \cot x,$

$o.\ -\dfrac{3x}{(1+x^2)^{\frac{5}{2}}},$

$\pi.\ \dfrac{1+2\sqrt{x}}{4\sqrt{x^2+x\sqrt{x}}},$

$\varrho.\ \dfrac{2}{x^2-1},$

$\sigma.\ \dfrac{1}{\cos x},$

$\tau.\ \dfrac{1}{a^2+x^2},$

$\upsilon.\ \dfrac{x\ln 2}{2\sqrt{1+x^2}}\sqrt{2}^{\sqrt{1+x^2}},$

$\varphi.\ x^x(1+\ln x),$

$\chi.\ x^x(1+\ln x),$

$\psi.\ x^{\sin x}(\dfrac{\sin x}{x} + \cos x\ln x),$

$\omega.\ (x^3{+}x)^{\arctan x}\left(\dfrac{x\ln(x^3+x) + (1+3x^2)\arctan x}{x(x^2+1)}\right).$